

Characterization of sorption kinetics of CO₂ from N₂-rich gas mixtures studied by breakthrough experiments on Zeolites

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Characterization of
particles • powders • pores

Application of porous materials as adsorbents

Fine cleaning of gases (e.g. purification of H_2 , natural gas, bio methane...)

Waste air treatment, respiratory protection, solvent recovery, removal of pollutants...)

Gas separation (e.g. air separation...)

Modern and effective materials should have high sorption capacities, high selectivities, and a good kinetic performance.



➡ For such applications, one must consider sorption properties under process-near conditions.

Number of Samples

Application Progress

Synthesis and First
Characterization

Determination of
Thermodynamic
Data

Basic Process
Design, Granulation
of Adsorbents

Detailed Process
Design, Application



Chemists

3P surface

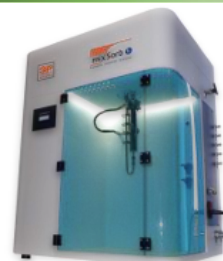
- BET
- Pore Volume
- Pore Size Distribution



Chemists,
Physicists

3P meso

- Isotherms
- Heat of Adsorption



Chemical
Engineers

mixSorb L

- Techn. Useable Sorption Capacity
- Gas Mixtures
- Selectivities
- Kinetics
- Cycle Stability

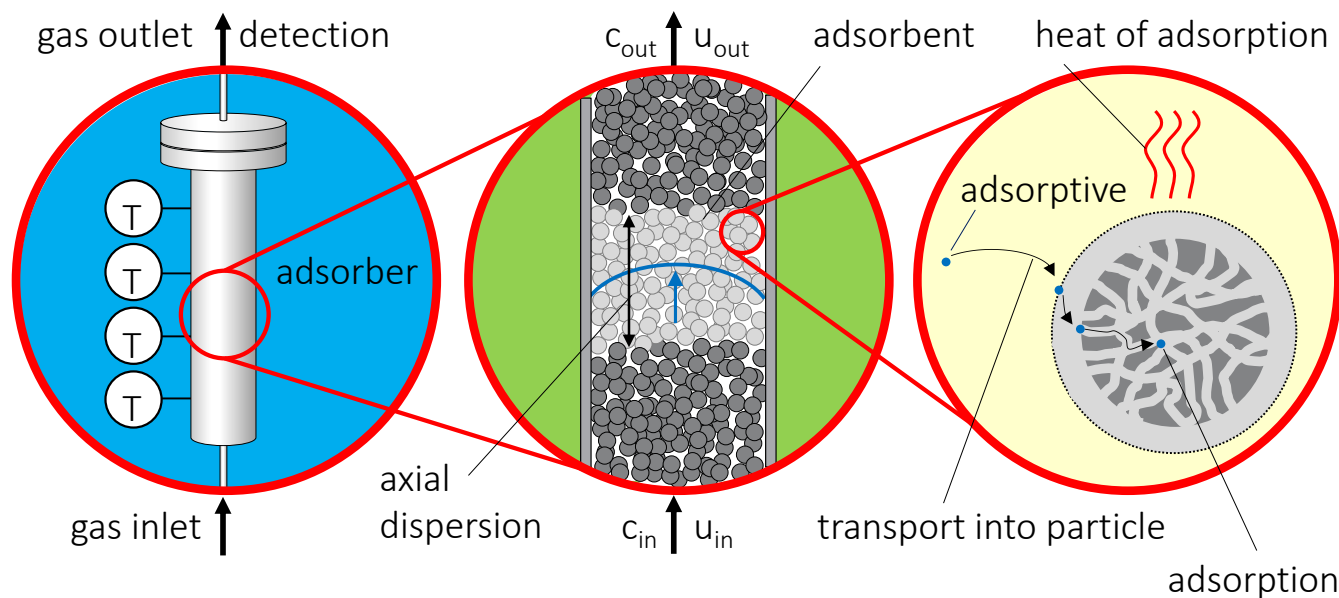


Engineers

Bench scale, Pilot plants,
Industrial Plant

- Process Optimization
- Production

Basics – Dynamic Gas Sorption a multi-scale Process



Macroscopic

- Size of Adsorber
- Shape of Adsorber

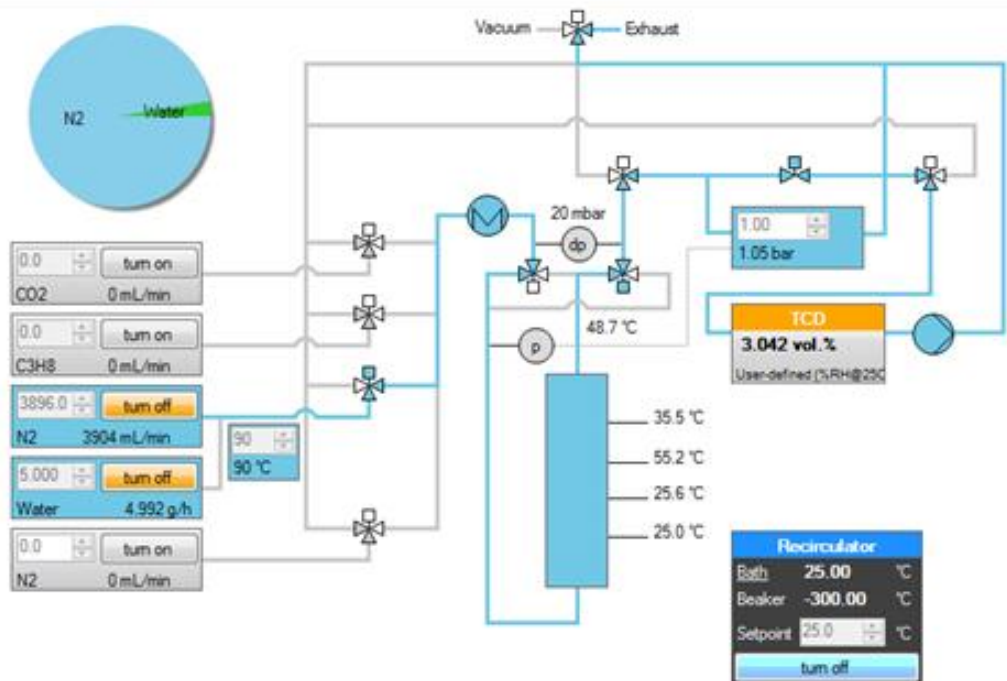
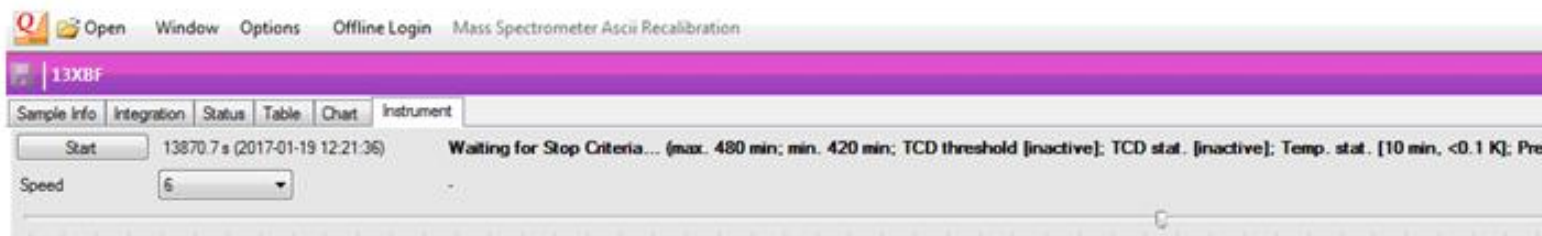
Mesoscopic

- Nature of the Fixed Bed
- Bed Porosity
- Shape of Particles

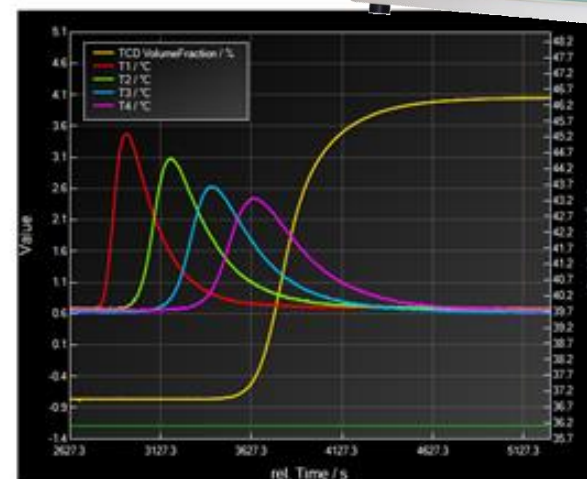
Microscopic

- Textural Properties
- Surface Characteristics
- Accessibility

Basics – Flow Plot of a Setup for Dynamic Measurements



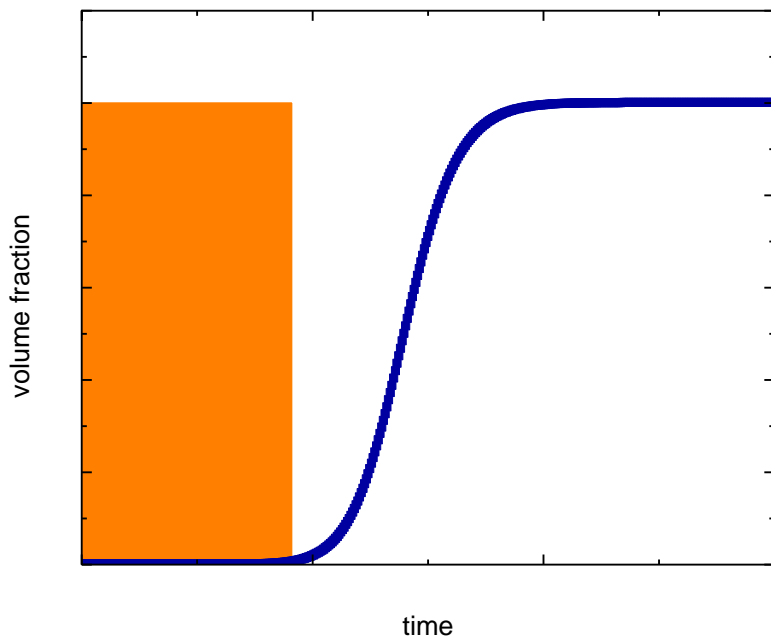
MixSorb L



- Flow through the regenerated sample with a predefined gas mixture
- Measurement of data at a **specified pressure and gas mixture**

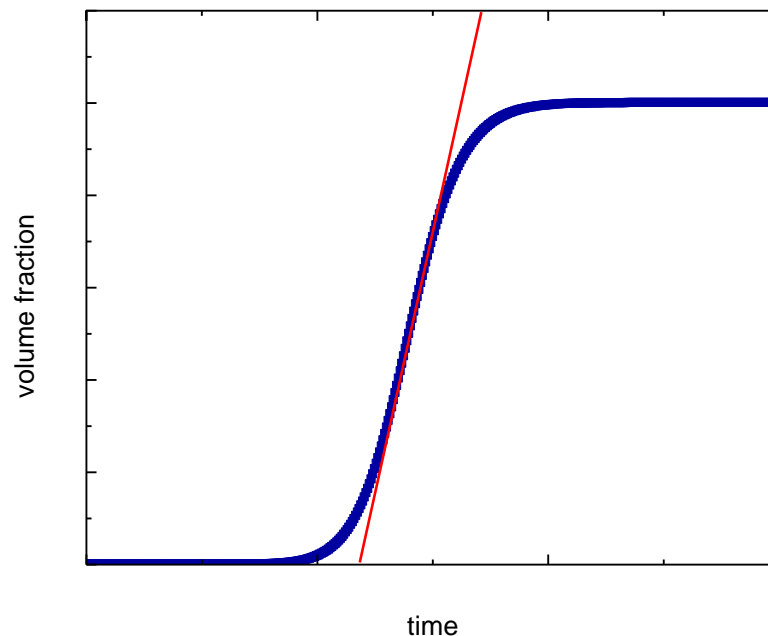
Basics – Different Segments of a Breakthrough Curve

Unsaturated Zone



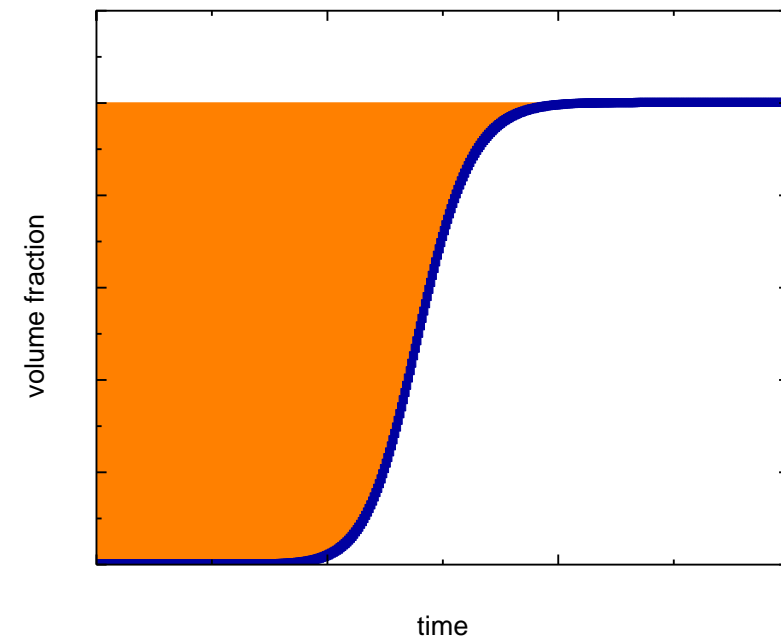
- Determination of technical usable sorption capacity
- Can be used as benchmark for separation performance of adsorbents

Mass Transfer Zone



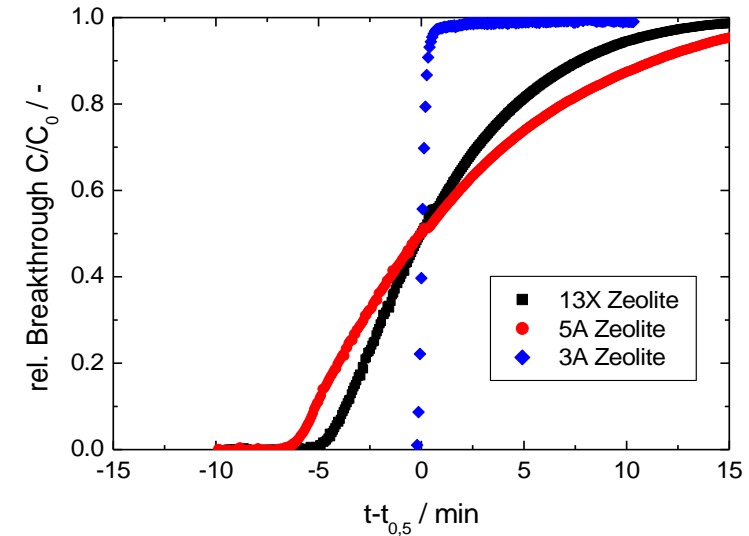
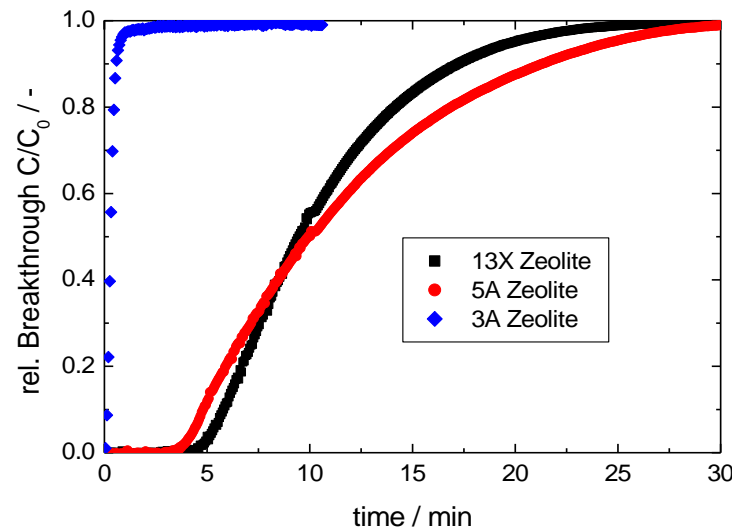
- Mass transfer coefficient, axial dispersion, shape of isotherm
- Heat effects, heat dissipation
- The time interval of mass transfer zone has to be minimized

Saturated Zone



- Determination of saturation capacity
- By assuming of thermodynamic controlled system → Measurement of isotherms possible

Breakthrough curves of 5% CO₂ in N₂ on Zeolites 13X, 5A, 3A (1 bar, 5 l/min (STP), 20°C)



Qualitative observation of Mass Transfer Zone:

- Zeolite 3A have a spontaneous breakthrough due to too narrow pores (kinetic-steric exclusion)
- Zeolite 5A exhibits a broad mass transfer zone
→ indicates obviously lower kinetic for 5A as 13X
- Both Zeolites, 5A and 13X have quite unsymmetrical breakthrough curves
→ indicate a **big influence of temperature effects** and shape of isotherms

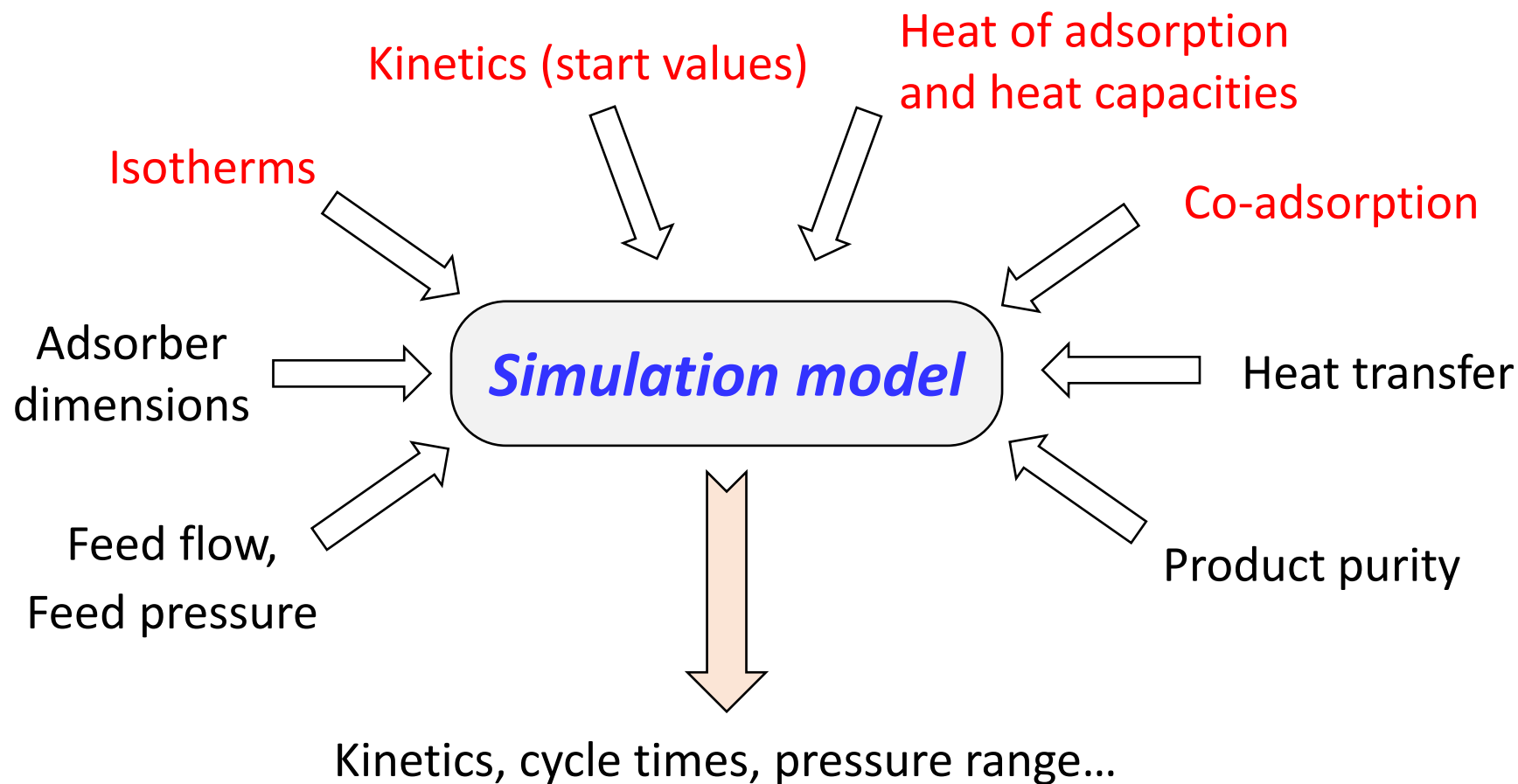
Question:

- Is it possible to get reliable kinetic data from such experiments?
- How is the influence of the isotherm shape, temperature effects, flow rates...?

Answer:

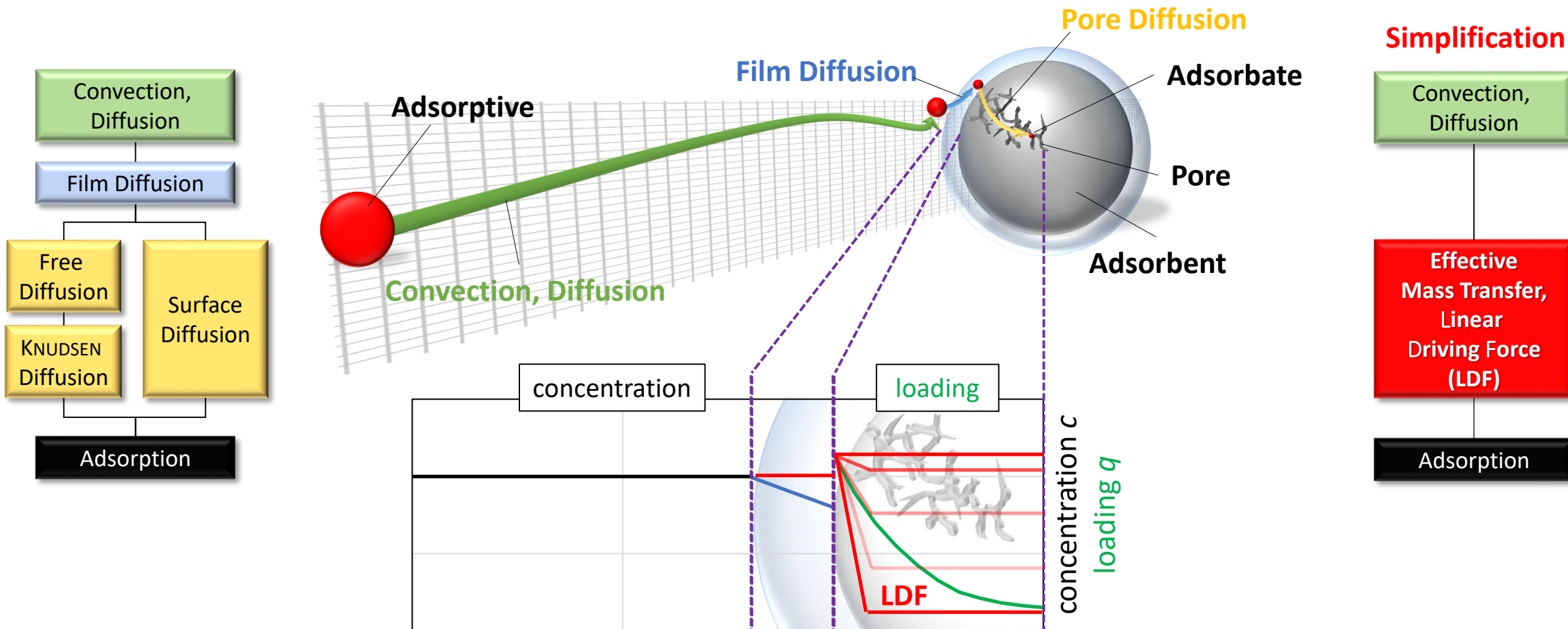
- Yes, but associated with high effort (model of mass- and energy balances is necessary)
 - Simple comparison of slope can be erroneous
- For quantification of temperature effects also a model calculation must be performed!
 - I.e. in some cases heat effects can control nearly the whole curve

Input Parameters for calculation of breakthrough curves



Red: properties of adsorbent/adsorptive system
Black: properties of adsorber and adsorber wall

Kinetic considerations - Mass Transfer coefficient k_{LDF}



Model – Kinetics from Breakthrough Experiments

Mass Balance

$$\underbrace{\frac{\partial C_{g,i}}{\partial t} + \frac{1-\varepsilon}{\varepsilon} \rho_{part} \frac{\partial \bar{q}_i}{\partial t}}_{\text{accumulation}} - \underbrace{Dax \frac{\partial^2 C_{g,i}}{\partial z^2}}_{\text{dispersion}} + \underbrace{u \frac{\partial C_{g,i}}{\partial z} + C_{g,i} \frac{\partial u}{\partial z}}_{\text{convection}} = 0$$

accumulation

dispersion

convection

$$\frac{\partial \bar{q}_i}{\partial t} = k_{LDF} (q_i^* - \bar{q}_i) \quad \text{LDF approach} \quad q_i^* = f(\text{Isotherms})$$

Energy Balances

$$\underbrace{\frac{1-\varepsilon}{\varepsilon} \rho_{part} \sum_{i=1}^n \frac{\Delta H_i}{M_i} \frac{\partial \bar{q}_i}{\partial t}}_{\text{generation}} - \underbrace{\lambda \frac{\partial^2 T_g}{\partial z^2}}_{\text{dispersion}} + \underbrace{\left(\frac{1-\varepsilon}{\varepsilon} \rho_{part} cps + \rho_g cpg \right) \frac{\partial T_g}{\partial t}}_{\text{accumulation}} + \underbrace{u \rho_g cpg \frac{\partial T_g}{\partial z} + T_g \rho_g cpg \frac{\partial u}{\partial z}}_{\text{convection}} + \underbrace{4 \frac{h_w}{d_i} (T_g - T_w)}_{\text{transfer to wall}} = 0$$

generation

dispersion

accumulation

convection

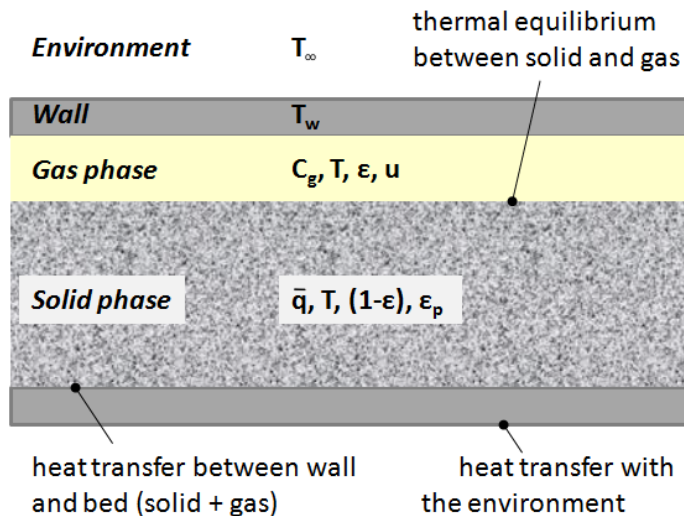
transfer to wall

$$\underbrace{\alpha_w h_w (T_g - T_w)}_{\text{gas to wall}} - \underbrace{\rho_w cpw \frac{\partial T_w}{\partial t}}_{\text{accumulation}} - \underbrace{\alpha_{wL} U_g (T_w - T_{Env})}_{\text{wall to environment}} = 0$$

gas to wall

accumulation

wall to environment



Equation for velocity / overall mass balance (isothermal)

$$\frac{\partial u}{\partial z} + \underbrace{\frac{RT}{p} \rho_{part} \frac{1-\varepsilon}{\varepsilon} \sum_{i=1}^n \frac{1}{M_i} \frac{\partial \bar{q}_i}{\partial t}}_{\text{Change by adsorption}} + \underbrace{\frac{1}{p} \frac{\partial p}{\partial t}}_{\text{Change by compression}} = 0$$

Change by adsorption

Change by compression

* A.M. Ribeiro et. al, *Chem. Eng. Sci.* 63 (2008)

* D.M. Ruthven, *Principles of Adsorption* (1984)

* M.S. Shafeeyan et. al, *Chem. Eng. Res. Des.* 92 (2014)

$$\frac{\partial \bar{q}_i}{\partial t} = k_{LDF} (q_i^* - \bar{q}_i) \quad \text{LDF approach} \quad q_i^* = f(\text{Isotherms})$$

$$1) \quad k_{LDF,C} = \text{const.}$$

$$2) \quad k_{LDF} = \frac{15 \cdot \varepsilon_p \cdot D}{R^2} \frac{c}{q} = k_{LDF,R}^* \frac{c}{q}$$

$$3) \quad k_{LDF} = \frac{\rho_p}{A_{SP}} \frac{15 \cdot D}{R^2 \cdot \mu} \frac{1}{1 + \frac{\rho_p}{\varepsilon_p} \frac{\partial q}{\partial c}} = k_{LDF,M}^* \frac{1}{1 + \frac{\rho_p}{\varepsilon_p} \frac{\partial q}{\partial c}}$$

$$4) \quad k_{LDF} \sim \frac{D}{R^2} \frac{\partial \ln c}{\partial \ln q} = k_{LDF,D}^* \frac{\partial \ln c}{\partial \ln q}$$

Note:

$$k_{LDF,C} \neq k_{LDF,M}^* \neq k_{LDF,R}^* \neq k_{LDF,D}^*$$

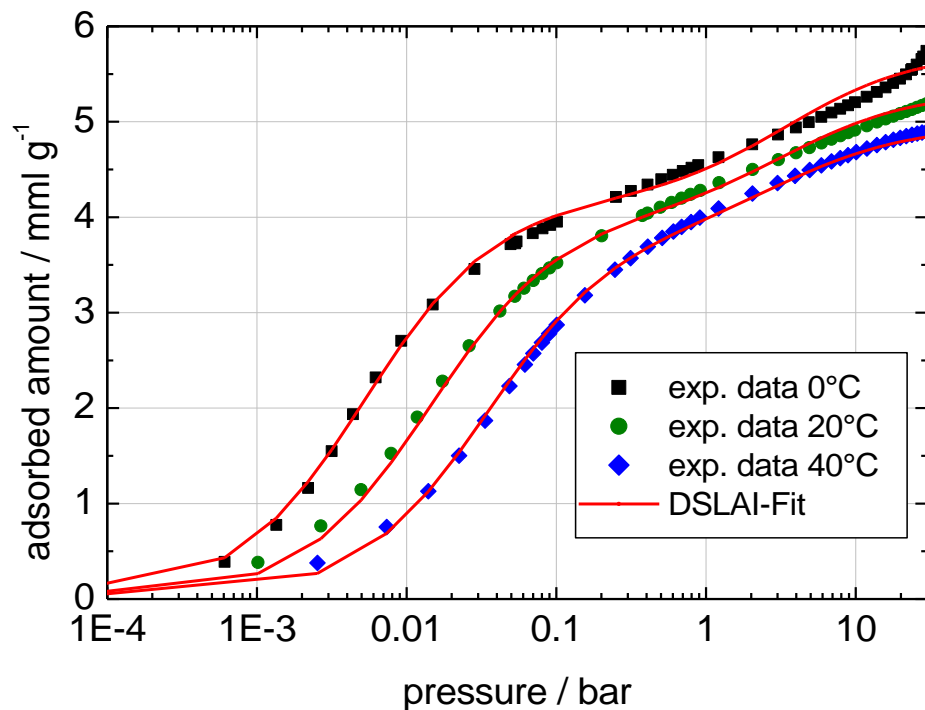
Comparison of LDF values from literature

- Possible, but used LDF approach must be taken into account!

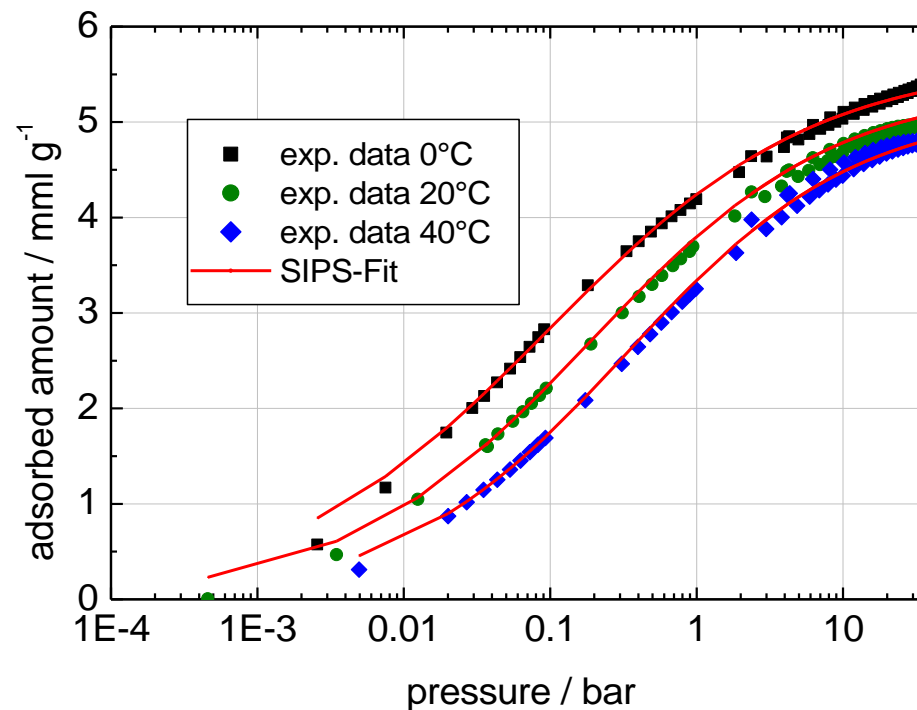
2,3... Diffusion in macropores
4... Diffusion in micropores

- 1) M.G. Plaza et al., *Ind. Eng. Chem. Res.* 55 (2016)
- 2) N.S. Wilkins, A. Rajendran, *Adsorption* 25 (2019)
- 3) Mersmann et al., *Chem. Ing. Tech.* 55 (1983)
- 4) Darken, *Trans. AIME* 175.1 (1948)

Isotherms as input parameter for calculations



CO₂ Isotherms on Zeolite 5A

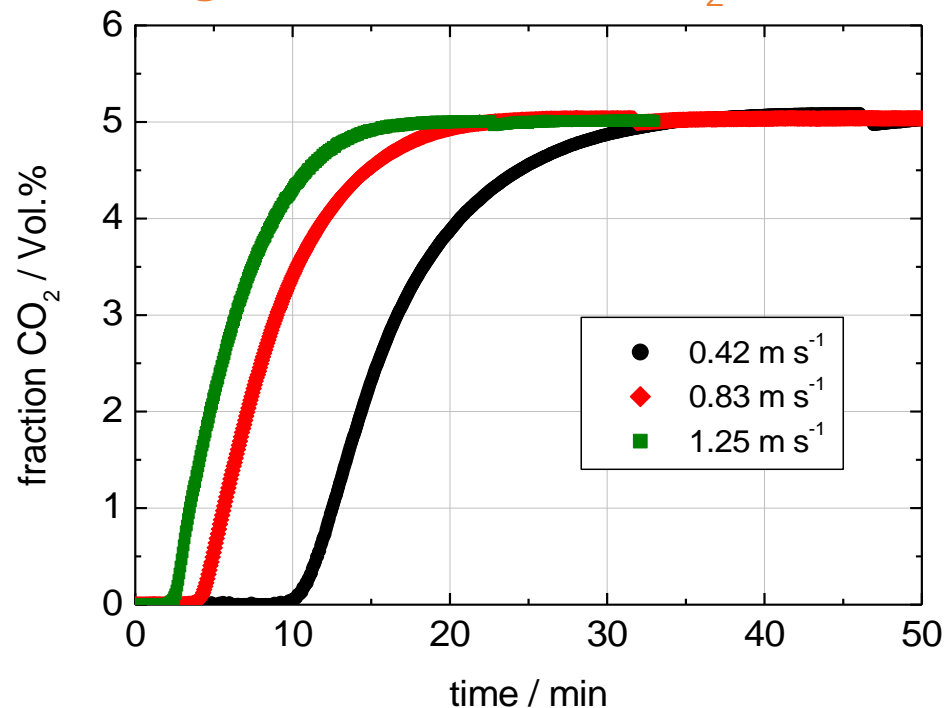


CO₂ Isotherms on Zeolite 13X

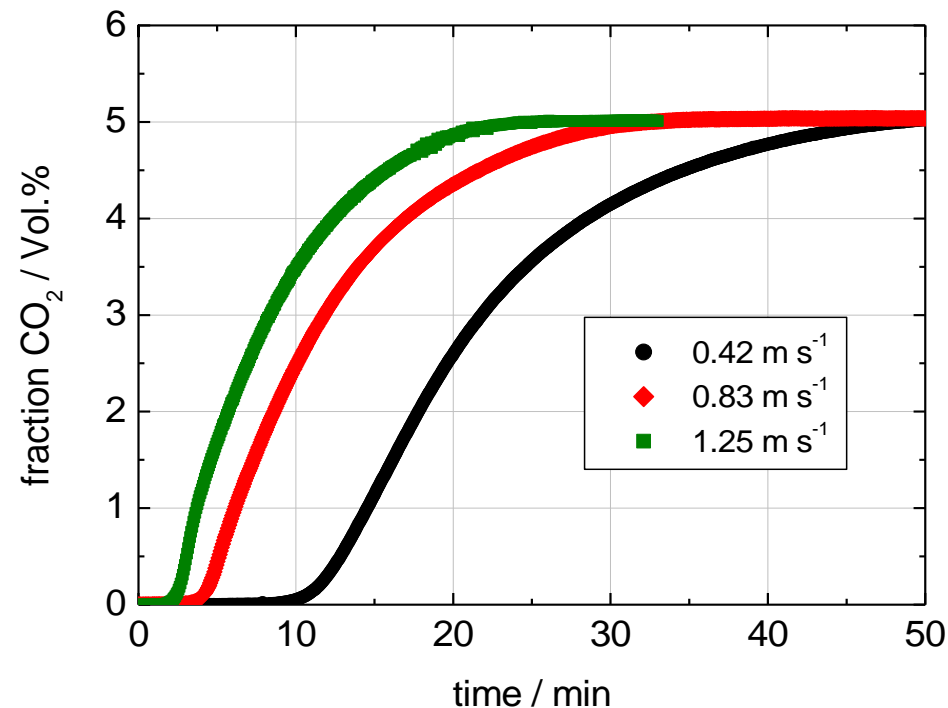
- Knowledge of isotherms necessary due to sharpening and softening of breakthrough curve
- Favored isotherm (e.g. Type I) shocks adsorption front and softening desorption

Results – Kinetics from Breakthrough Experiments

Breakthrough curves for 5% CO₂ on 13X and 5A Zeolite at different flow rates and 20°C



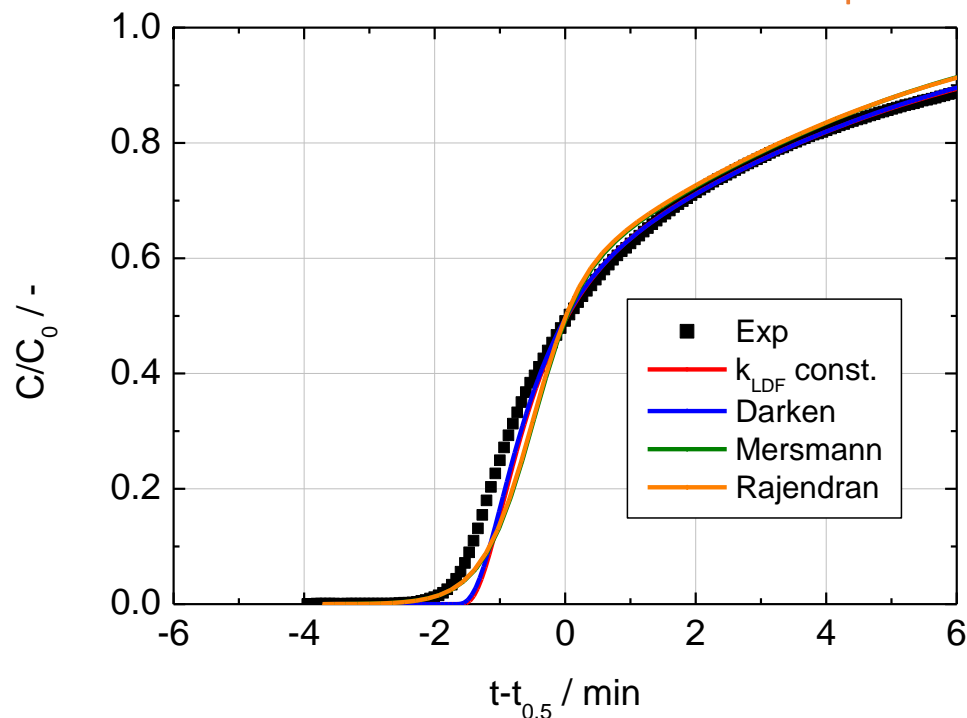
5% CO₂ in N₂ on 13X, 1 bar at 20°C



5% CO₂ in N₂ on 5A, 1 bar at 20°C

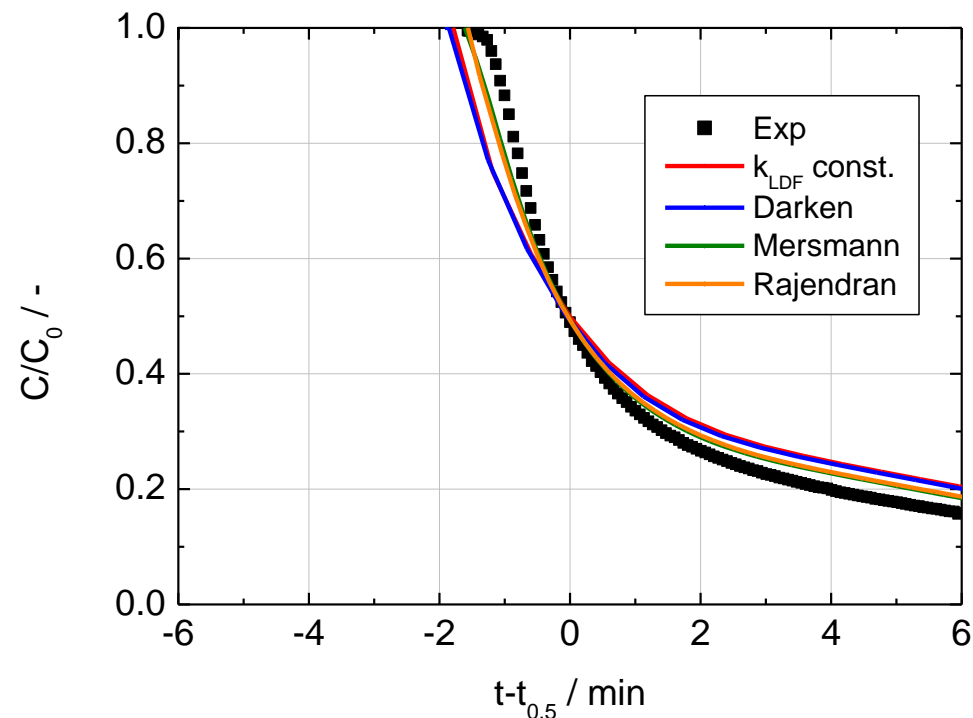
- Breakthrough curves shift to shorter breakthrough times and are slightly steeper for higher flow rates
- Breakthrough curves on **Zeolite 13X with smaller Mass Transfer Zone** as for Zeolite 5A

Influence of selected model on transport parameter



5% CO₂ in N₂ on 13X, 1 bar, 60°C and 0.83 m s⁻¹

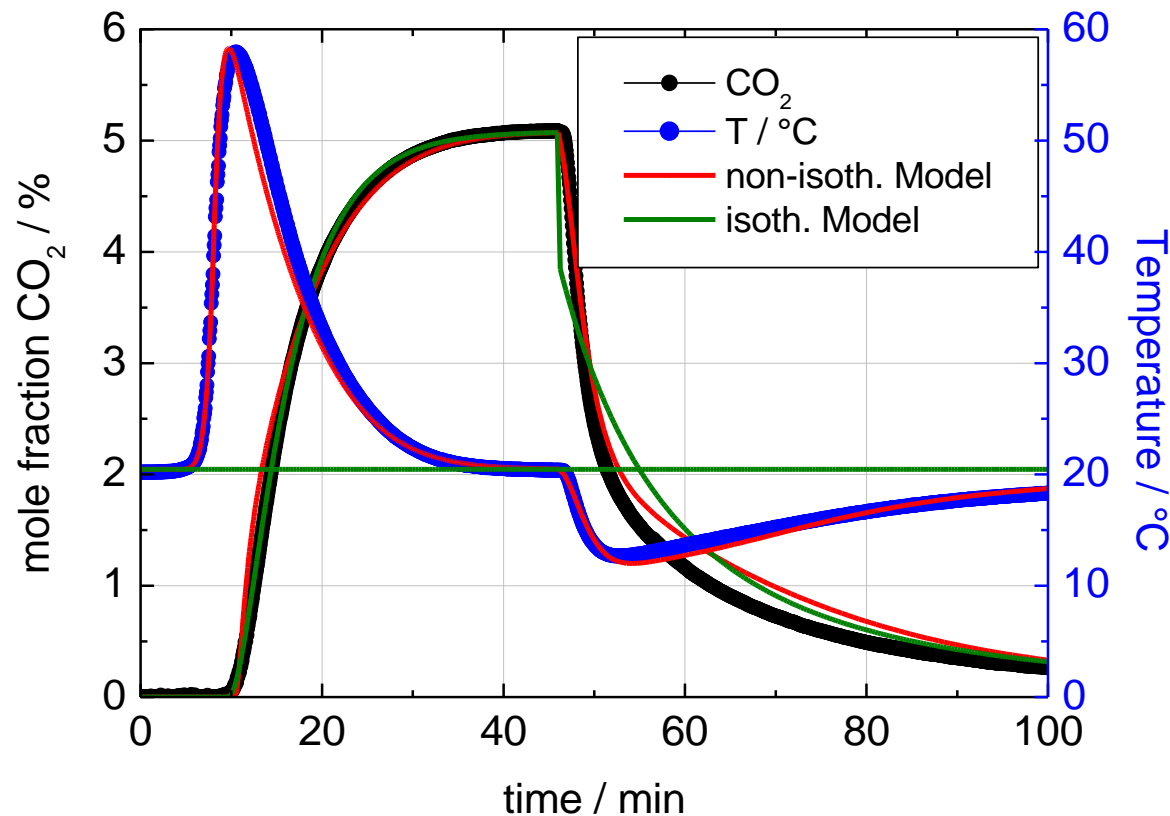
$$k_{\text{LDF,Constant}} = 1.2 \text{ min}^{-1}; k_{\text{LDF,Darken}}^* = 0.6 \text{ min}^{-1}; k_{\text{LDF,Mersmann}}^* = 120 \text{ min}^{-1}; k_{\text{LDF,Rajendran}}^* = 85 \text{ min}^{-1}$$



Pure N₂, 13X, 1 bar, 60°C and 0.83 m s⁻¹

- Best fits for **constant k_{LDF}** and **Darken** approach → curves **coincides** (both are **micropore models**)
- Best fits for **Rajendran** and **Mersmann** → curves **coincides** (both are **macropore models**)

Influence of temperature effects on transport parameter



Adsorption/ Desorption profile on Zeolite 13X

5% CO₂, 1 bar, 20°C and 0.417 m s⁻¹

Modeling with constant k_{LDF}

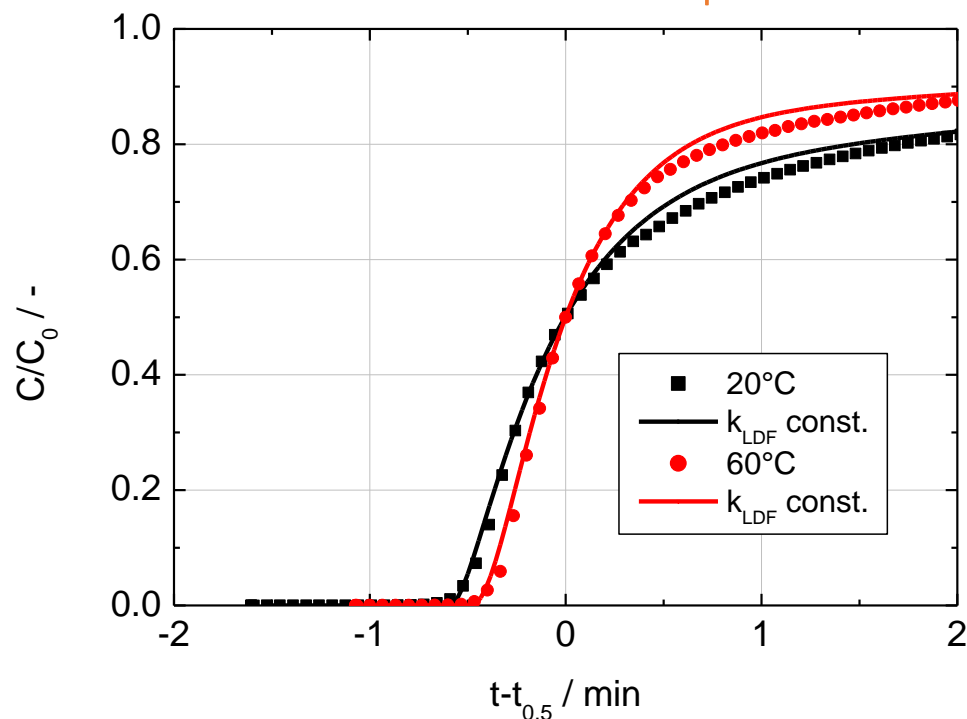
$$k_{LDF}(\text{non-isotherm}) = 1.20 \text{ min}^{-1}$$

$$k_{LDF}(\text{isotherm}) = 0.25 \text{ min}^{-1}$$

$$\text{Ratio: } \frac{k_{LDF}(\text{nonisoth})}{k_{LDF}(\text{isoth})} \approx 5$$

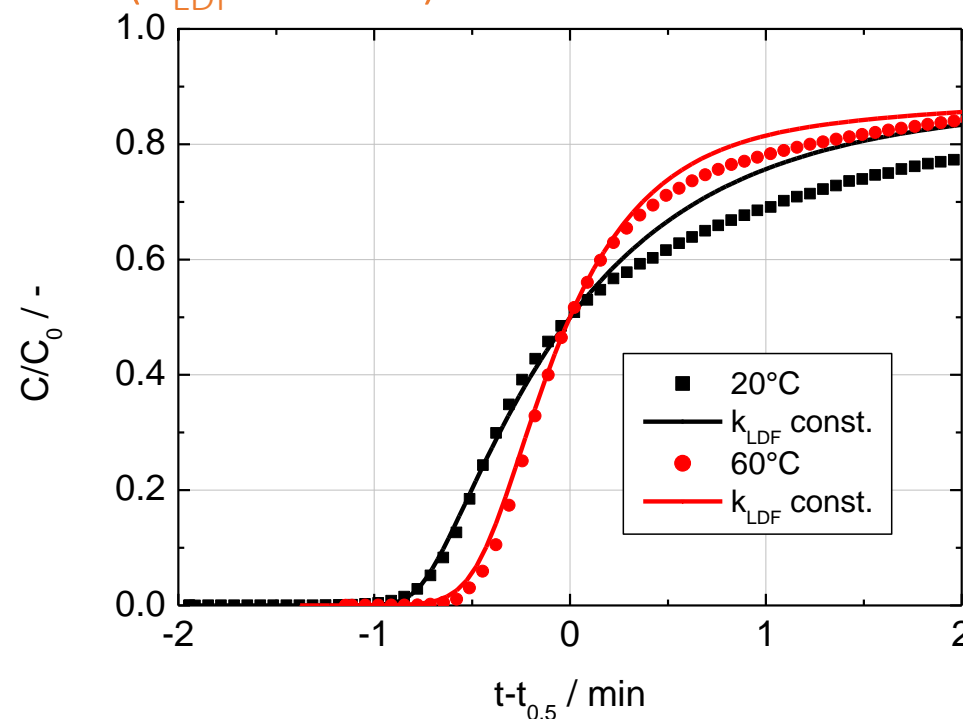
- Modeling of both, adsorption and desorption
→ Due to influence of isotherm
- Heat effect must be taken into account!

Influence of measurement temperature on LDF-Value ($k_{LDF} = \text{const.}$)



15% CO₂ in N₂ on 13X, 1 bar and 1.25 m s⁻¹

$k_{LDF,C}$ (20°C) = 1.2 min⁻¹; $k_{LDF,C}$ (60°C) = 2.0 min⁻¹

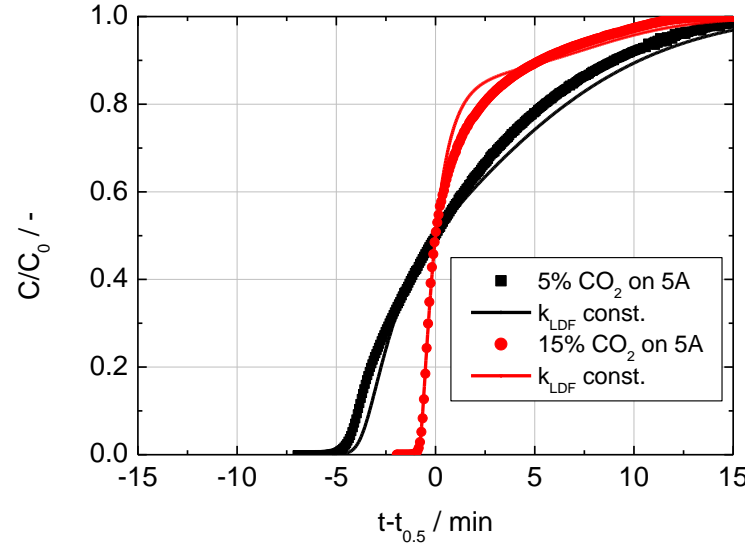


15% CO₂ in N₂ on 5A, 1 bar and 1.25 m s⁻¹

$k_{LDF,C}$ (20°C) = 0.8 min⁻¹; $k_{LDF,C}$ (60°C) = 2.0 min⁻¹

- More symmetric breakthrough curves for higher temperature (smaller heat effects due to lower loading)
- Breakthrough curves steeper for higher temperatures (faster mass transfer)

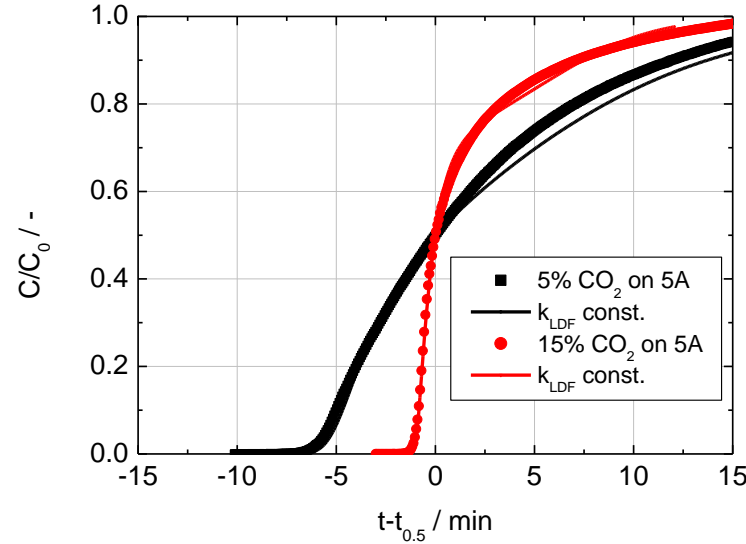
Comparison of breakthrough curves on 5A with different concentrations



1 bar, 20°C and 1.25 m s⁻¹

5% CO₂ on 5A $k_{LDF,C} = 0.4$ min⁻¹

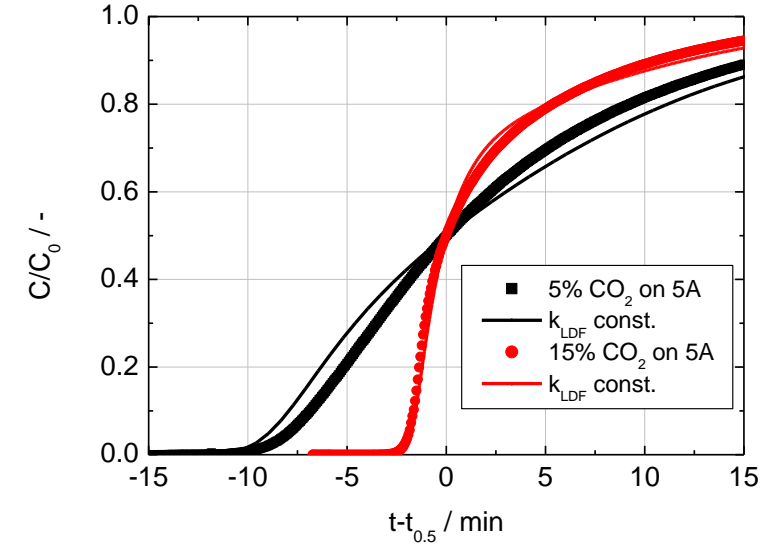
15% CO₂ on 5A $k_{LDF,C} = 0.8$ min⁻¹



1 bar, 20°C and 0.83 m s⁻¹

5% CO₂ on 5A $k_{LDF,C} = 0.4$ min⁻¹

15% CO₂ on 5A $k_{LDF,C} = 0.8$ min⁻¹



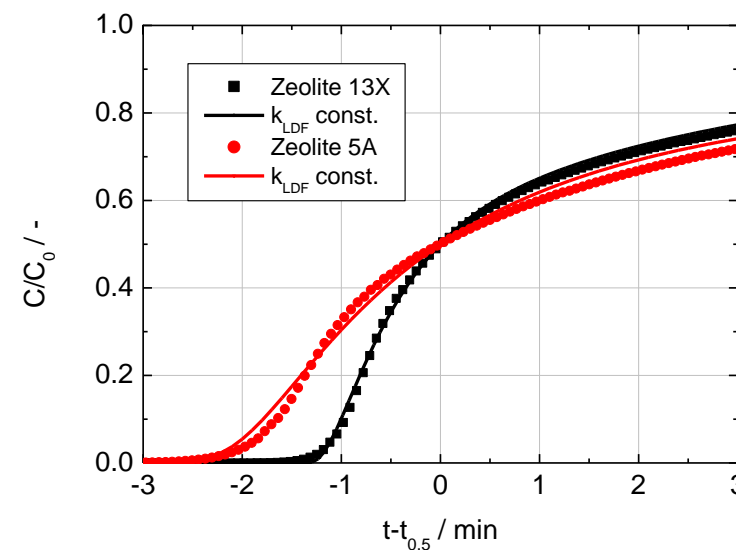
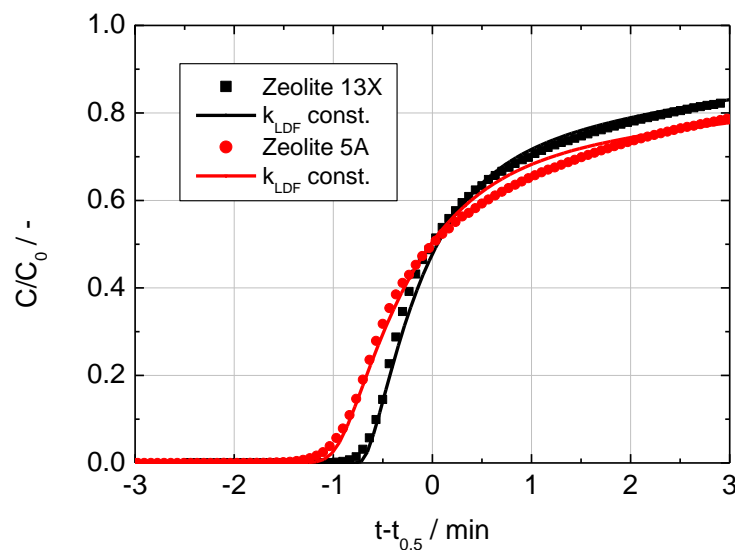
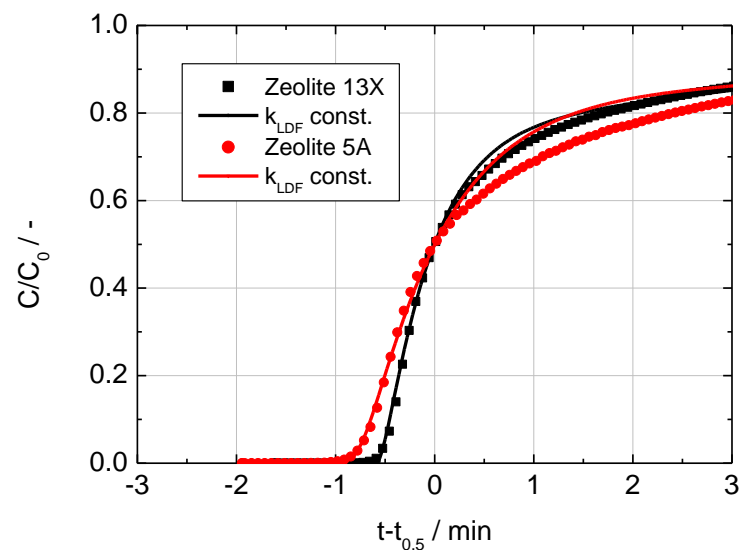
1 bar, 20°C and 0.42 m s⁻¹

5% CO₂ on 5A $k_{LDF,C} = 0.4$ min⁻¹

15% CO₂ on 5A $k_{LDF,C} = 0.5$ min⁻¹

- Strong **influence of concentration** on breakthrough curves due to non-linearity of isotherm
- Higher LDF-values for higher concentrations

Comparison of breakthrough curves on 13X and 5A at different flow rates



15% CO₂, 1 bar, 20°C and 1.25 m s⁻¹

Zeolite 5A $k_{LDF,C} = 0.8 \text{ min}^{-1}$

Zeolite 13X $k_{LDF,C} = 1.2 \text{ min}^{-1}$

15% CO₂, 1 bar, 20°C and 0.83 m s⁻¹

Zeolite 5A $k_{LDF,C} = 0.8 \text{ min}^{-1}$

Zeolite 13X $k_{LDF,C} = 1.2 \text{ min}^{-1}$

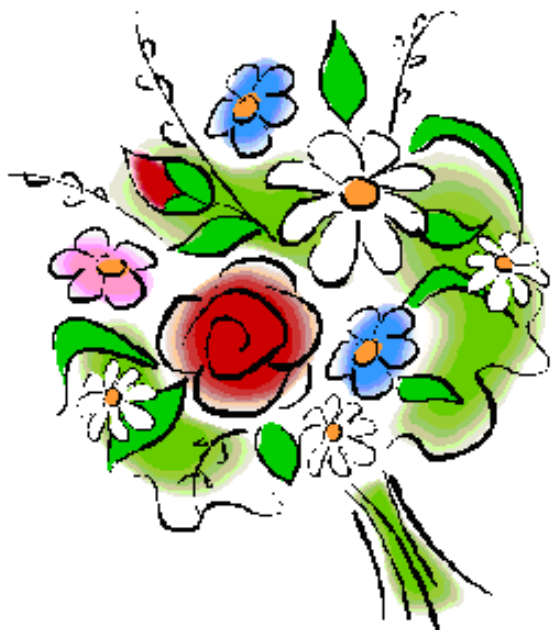
15% CO₂, 1 bar, 20°C and 0.42 m s⁻¹

Zeolite 5A $k_{LDF,C} = 0.42 \text{ min}^{-1}$

Zeolite 13X $k_{LDF,C} = 1.2 \text{ min}^{-1}$

- Values same range, and rather independent from flow rate under this conditions
- External film fluid resistance can be neglected

- Model is necessary to get reliable transport parameter $\rightarrow k_{LDF}$ value, with used LDF-Approach
- Strong **non-isothermal effects must be considered** for evaluation of kinetics \rightarrow influence of dissipation of heat
- Measurement of **desorption** part is **helpful** \rightarrow influence of isotherm, heat dissipation etc.
- k_{LDF} values depend on concentration, total pressure etc. \rightarrow measurements under same conditions **like technical process** for up-scaling
- By assuming macropore diffusion resistance of binder \rightarrow further investigations with different particle sizes from same supplier **necessary**



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